

Unmasked workshop – Merom Golan – 11/05/2021

Quantum Simulations using quantum computers on the cloud

Emanuele Dalla Torre

Bar-Ilan University

Dynamics of complex quantum systems



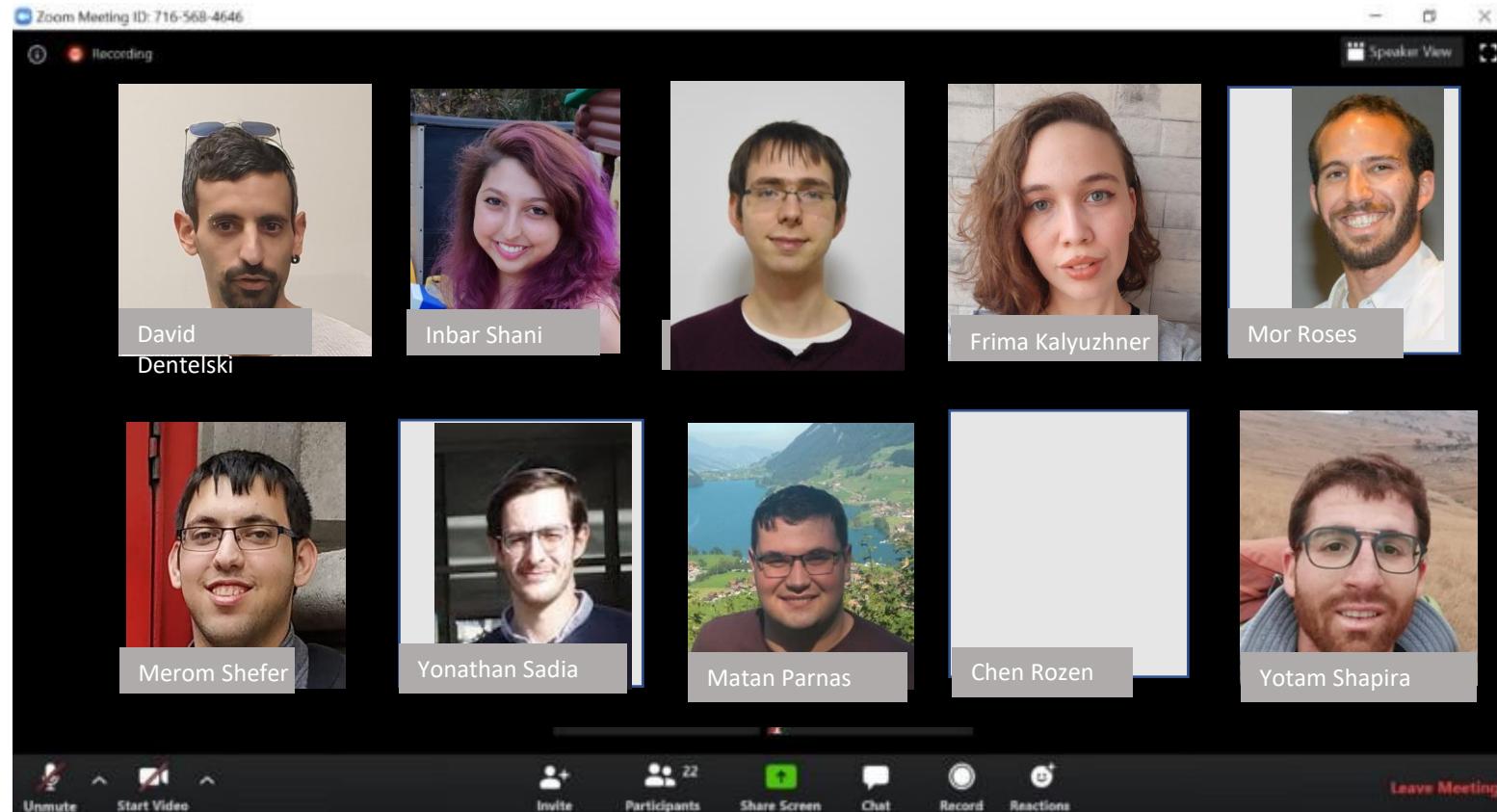
Eli Arbel
Hagai Landa



Tomer Simon
Eyal Malach
Fabrice Frachon



Eyal Estrin



<http://www.nonequilibrium.org>



Bar-Ilan University

Financial Support

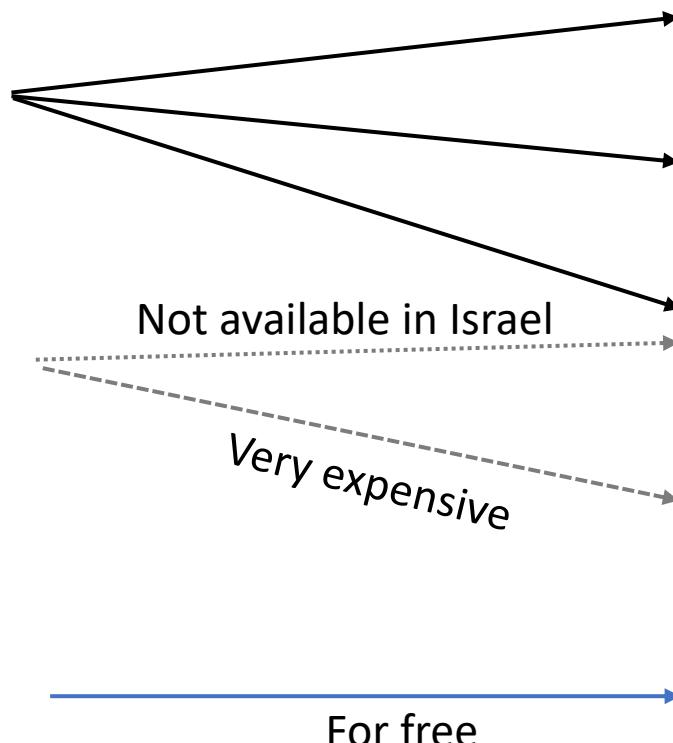
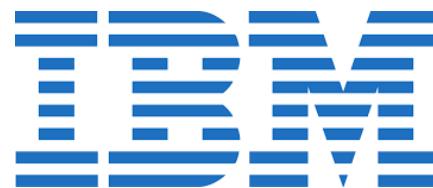


amazon

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Quantum computing on the cloud is a reality!

Portals:



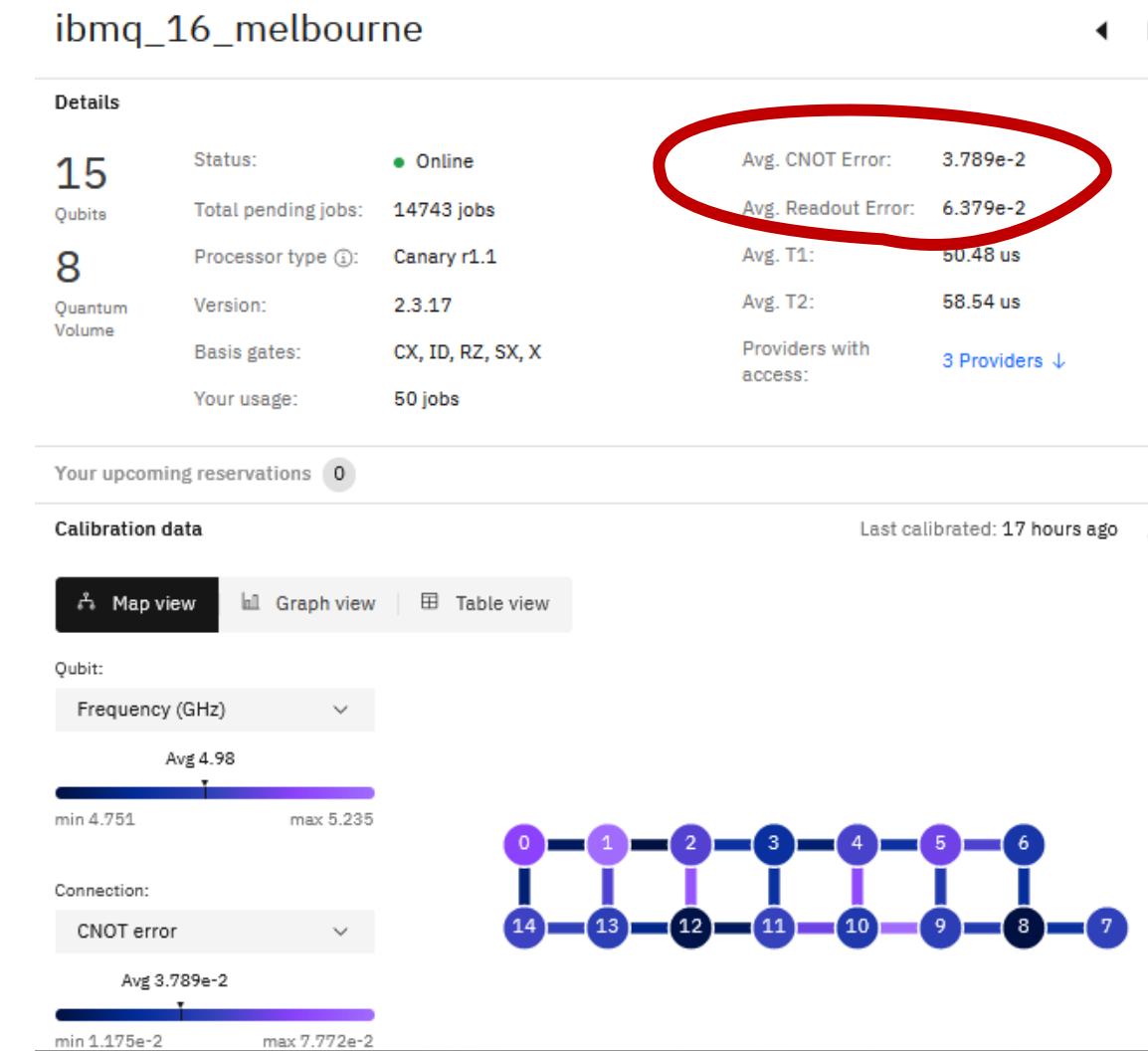
Hardware:



Honeywell



<http://quantum-computing.ibm.com>



Cat state preparation

OpenQASM 2.0 ▾

Open in Quantum Lab

```
1 OPENQASM 2.0;
2 include "qelib1.inc";
3
4 qreg q[3];
5 creg c[3];
6
7
```

H \oplus \otimes \oplus \ominus \otimes \ominus I T S Z T^\dagger S^\dagger P RZ \bullet $|0\rangle$ \otimes^z ⓘ :
if | \sqrt{X} \sqrt{X}^\dagger Y RX RY U RXX RZZ + Add

q₀
q₁
q₂
+

Please wait....

Probabilities ▾

Probability (%)

Computational basis states	Probability (%)
000	100
001	0
010	0
011	0
100	0
101	0
110	0
111	0

Statevector ▾

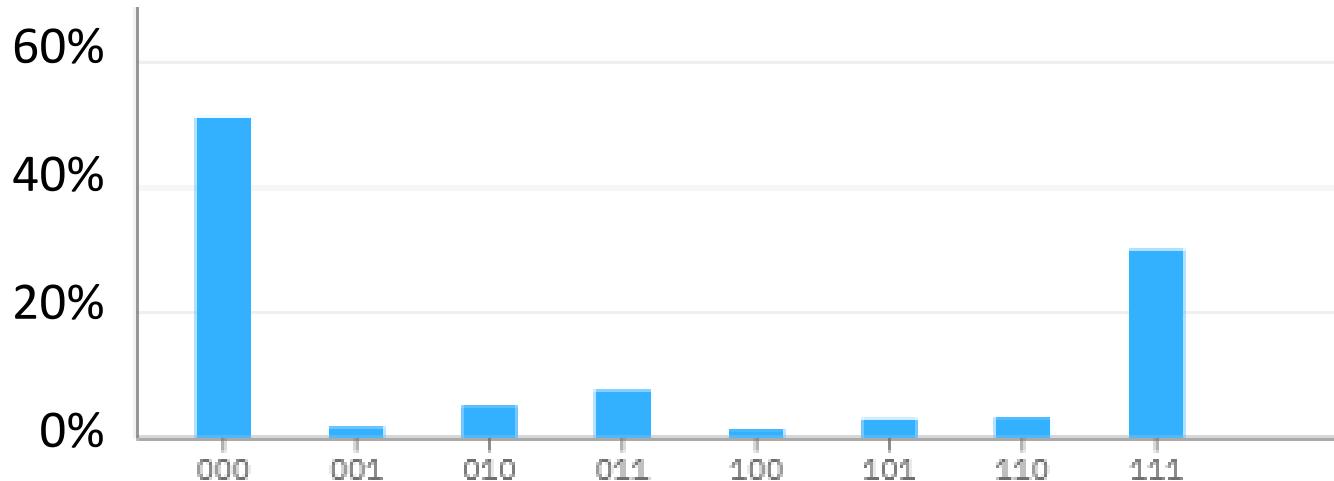
Amplitude

Computational basis states	Amplitude
000	1
001	0
010	0
011	0
100	0
101	0
110	0
111	0

Quantum Computing logo

Torre

Cat state preparation



Demonstration of Shor's factoring algorithm for $N=21$ on IBM quantum processors

Unathi Skosana and Mark Tame*

Department of Physics, Stellenbosch University, Matieland 7602, South Africa

(Dated: March 26, 2021)

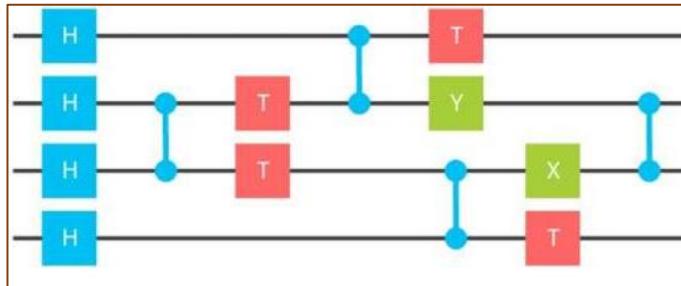
We report a proof-of-concept demonstration of a quantum order-finding algorithm for factoring the integer 21. Our demonstration involves the use of a compiled version of the quantum phase estimation routine, and builds upon a previous demonstration by Martín-López et al. in *Nature Photonics* 6, 773 (2012). We go beyond this work by using a configuration of approximate Toffoli gates with residual phase shifts, which preserves the functional correctness and allows us to achieve a complete factoring of $N = 21$. We implemented the algorithm on IBM quantum processors using only 5 qubits and successfully verified the presence of entanglement between the control and work register qubits, which is a necessary condition for the algorithm's speedup in general. The techniques we employ may be useful in carrying out Shor's algorithm for larger integers, or other algorithms in systems with a limited number of noisy qubits.



The main challenge

Model :

Unitary quantum computer



f.e. Shor algorithm (breaks RSA),
quantum machine learning

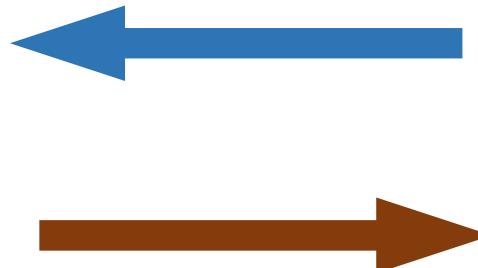


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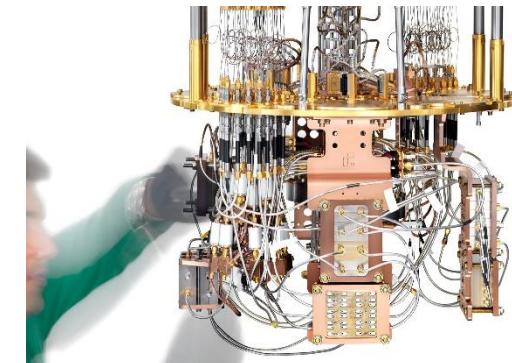
Reality :

Noisy superconducting circuits

quantum error correction



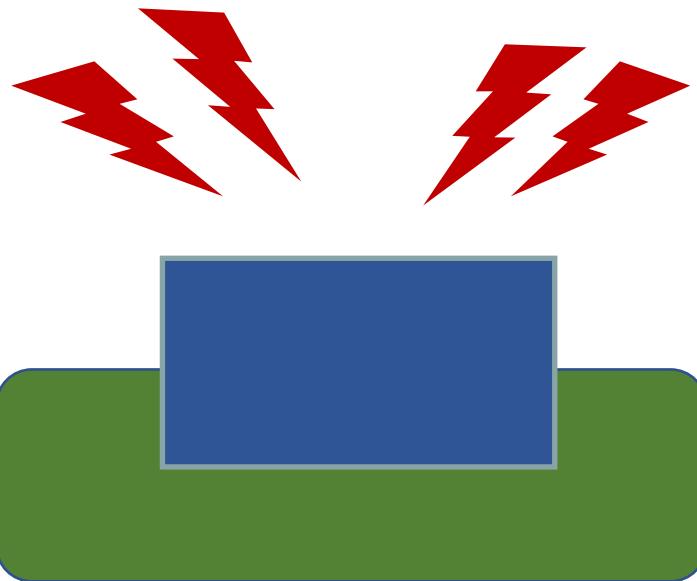
open quantum systems



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Quantum simulations with quantum computers on the cloud

Time dependent drive



Quantum system

Dissipative bath

1. Periodic drives

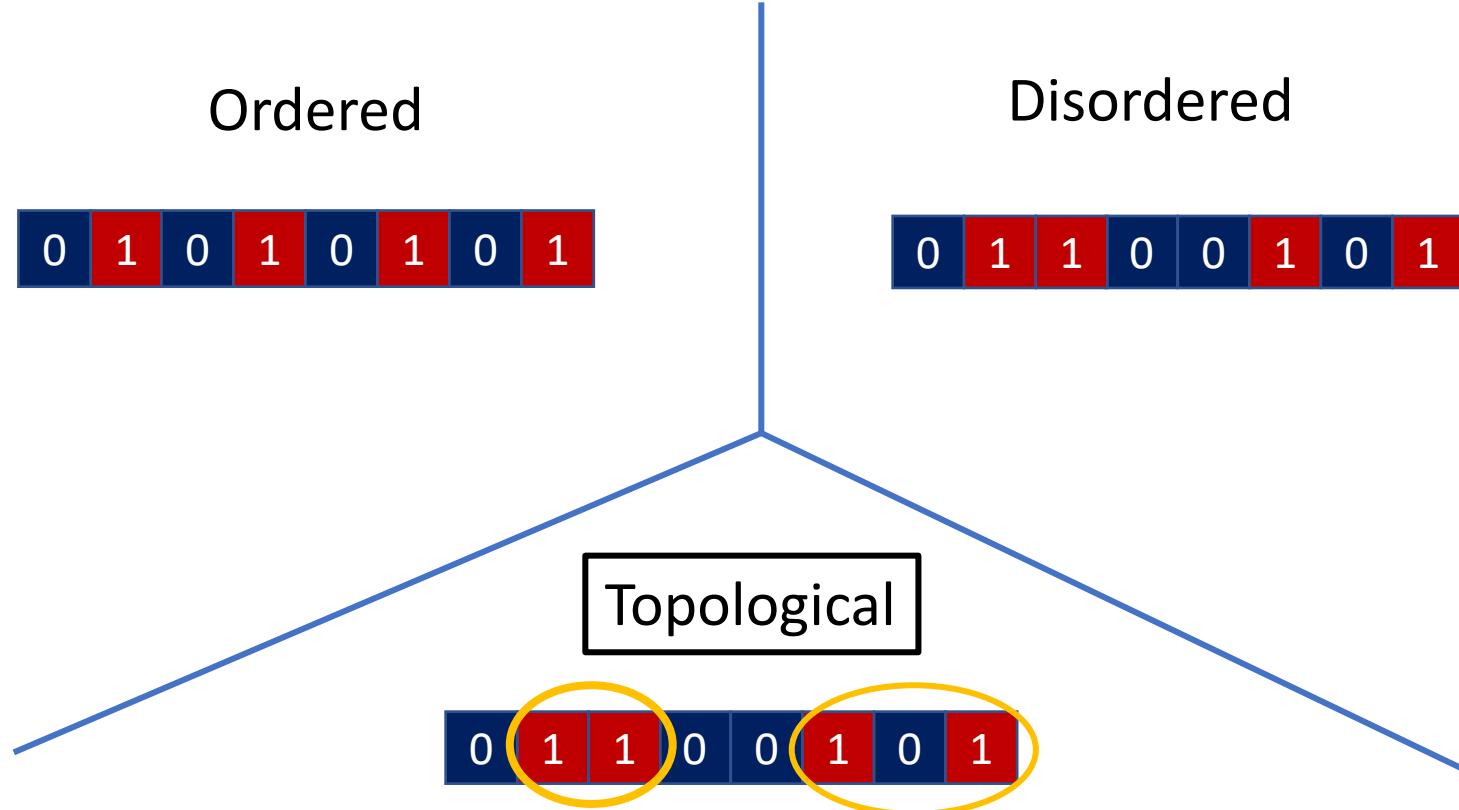
Mor Roses (BIU), Hagai Landa (IBM)
arXiv:2102.09590

2. Topological phases

Daniel Azses (BIU), Yehuda Naveh (IBM),
R. Haenel & R. Raussendorf (Montreal),
arXiv:2002.04620 (PRL, 2020)
arXiv:2008.09332 (PRB, 2020)



Quantum phases of matter

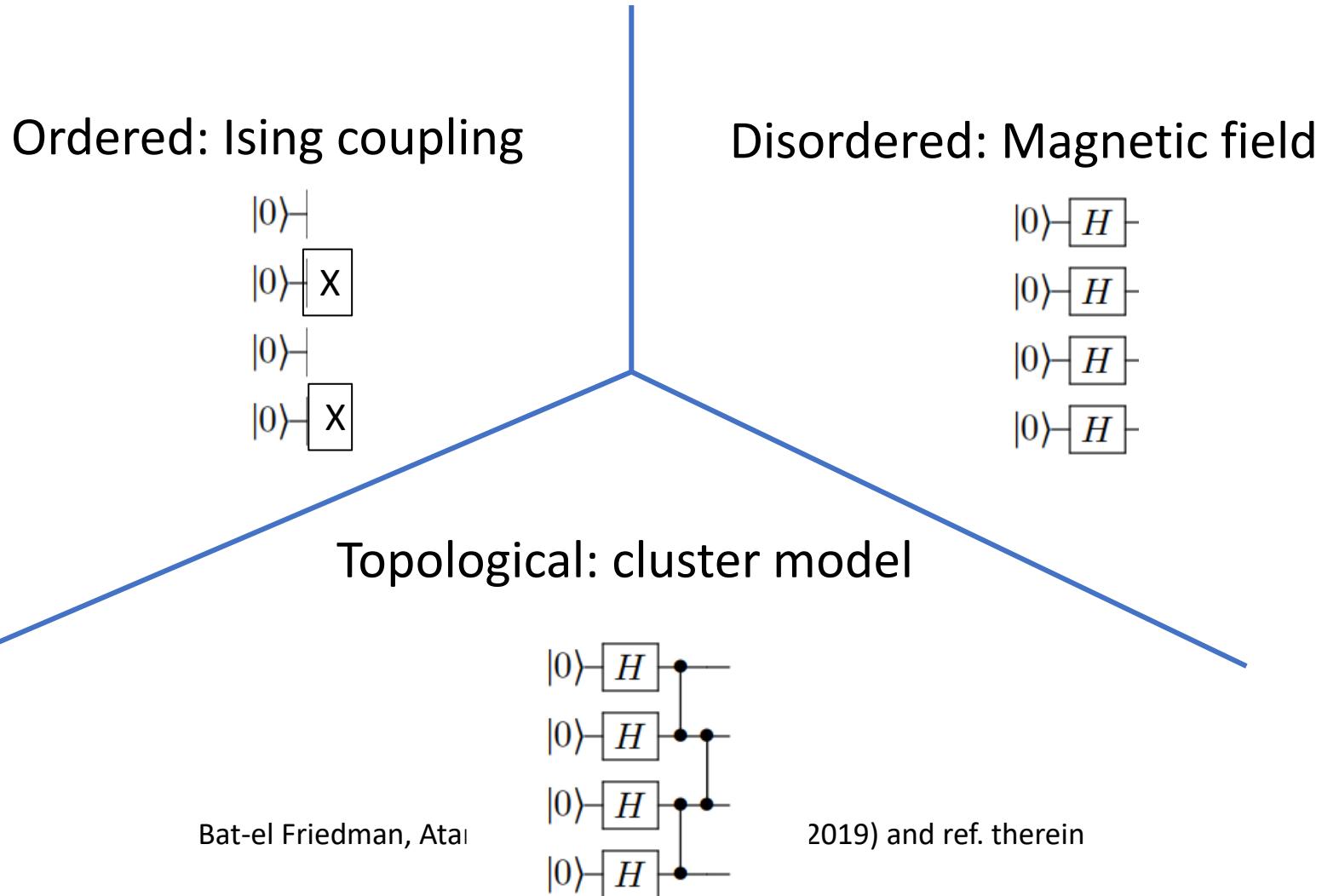


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Haldane (1982), AKLT (1987), den Nijs&Rommelse (1989), Dalla Torre,Berg&Altman (2006), ...

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Quantum phases of matter



Symmetry resolved topological (SPT) phases

Pollmann-Turner-Berg-Oshikawa (2011), Chen-Gu-Liu-Wen (2012)

$$\text{Symmetry} \rightarrow G |\psi\rangle = g|\psi\rangle \rightarrow [G, \rho_A] = 0$$

Symmetry resolved
reduced density matrix:

$$\rho_A = \begin{cases} \text{Trivial} & \tilde{\rho}_A(+) \\ & 0 \\ & 0 \quad \tilde{\rho}_A(-) \end{cases}$$
$$\rho_A = \begin{cases} \text{SPT} & \tilde{\rho}_A(+) \quad 0 \\ & 0 \quad \tilde{\rho}_A(-) \end{cases}$$

Goldstein & Sela (PRL, 2018)

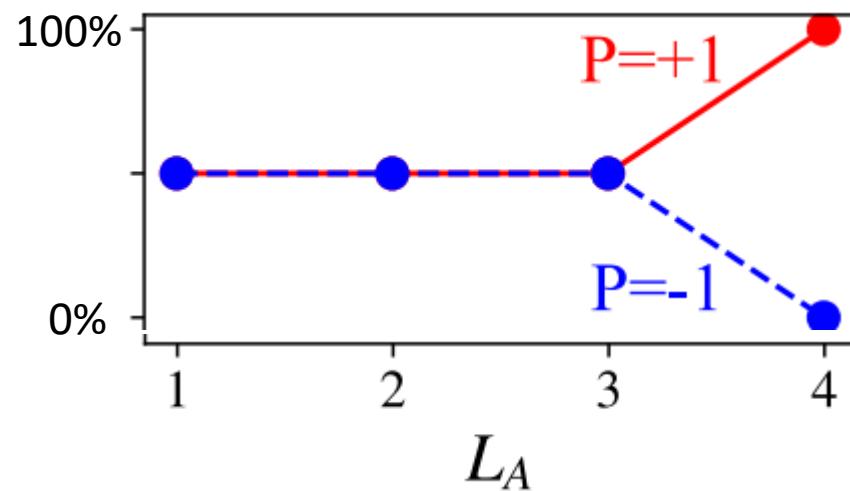


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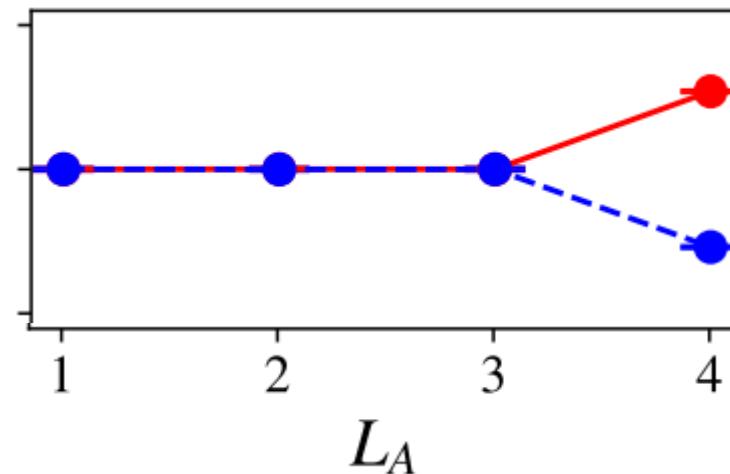
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Identifying a topological phases

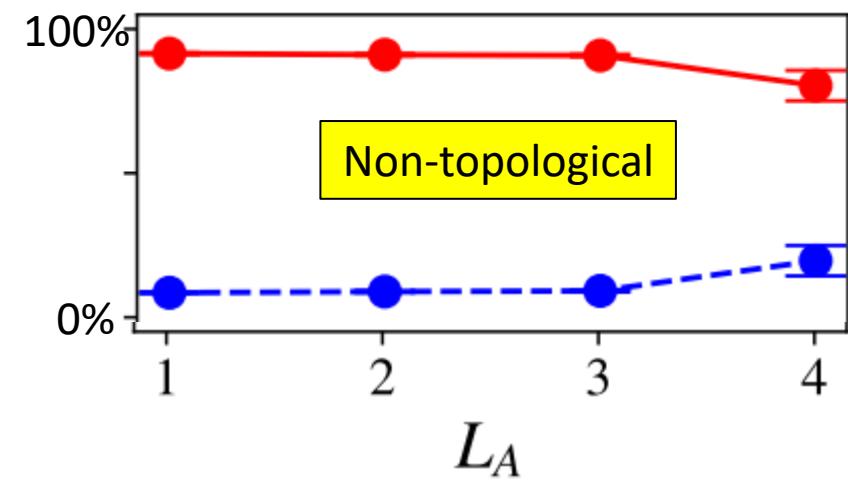
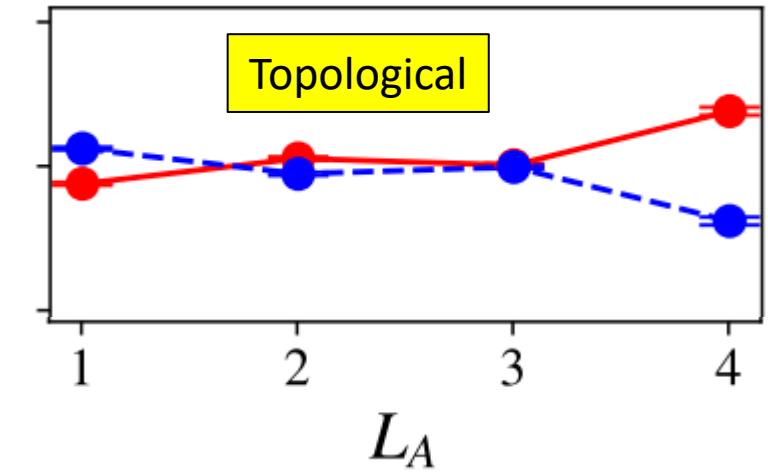
Unitary model



Noisy simulation
(QISKIT)

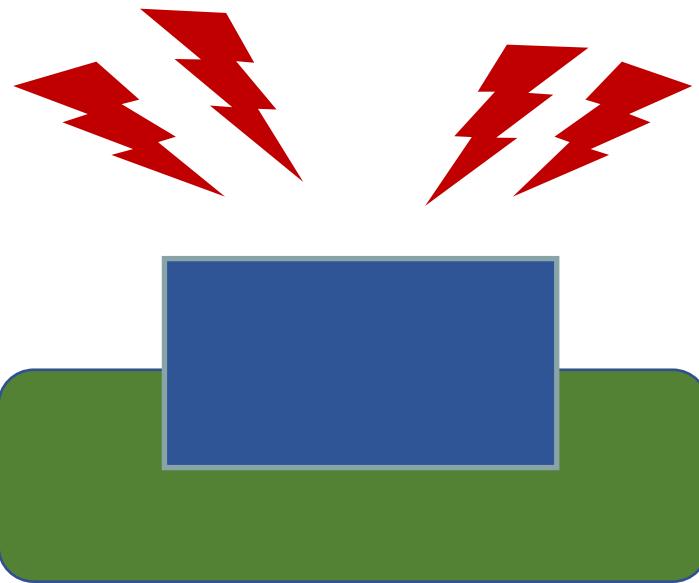


Experiment



Quantum simulations with quantum computers on the cloud

Time dependent drive



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Dissipative bath

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3. Error mitigation

Meron Shefer (BIU), Daniel Azses (TAU)

IBM, Microsoft, Amazon (in preparation)



Main challenge:

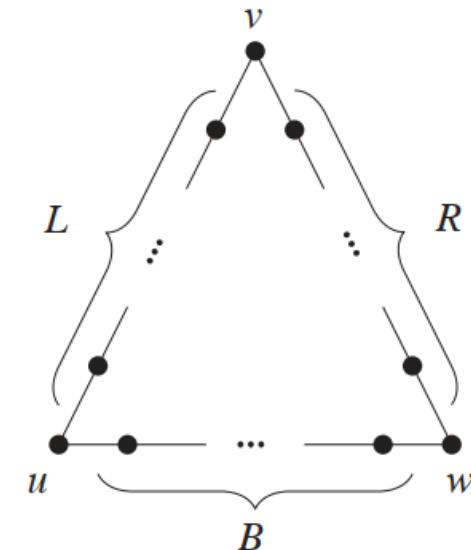
Quantum advantage with shallow circuits

Solution:

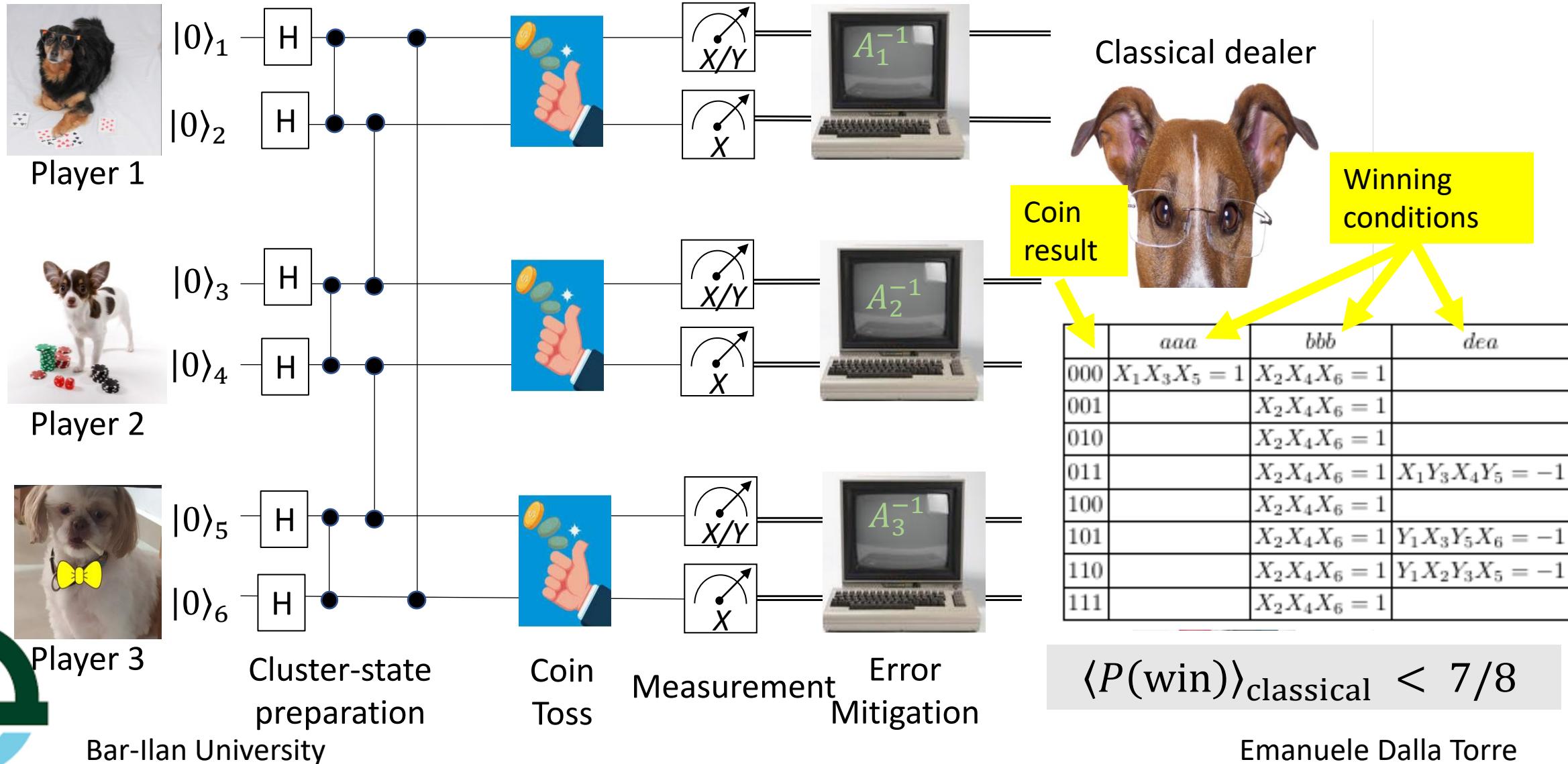
Non-local game using the
cluster state on a triangle

Bravyi, Gosset & Konig, Science 2018

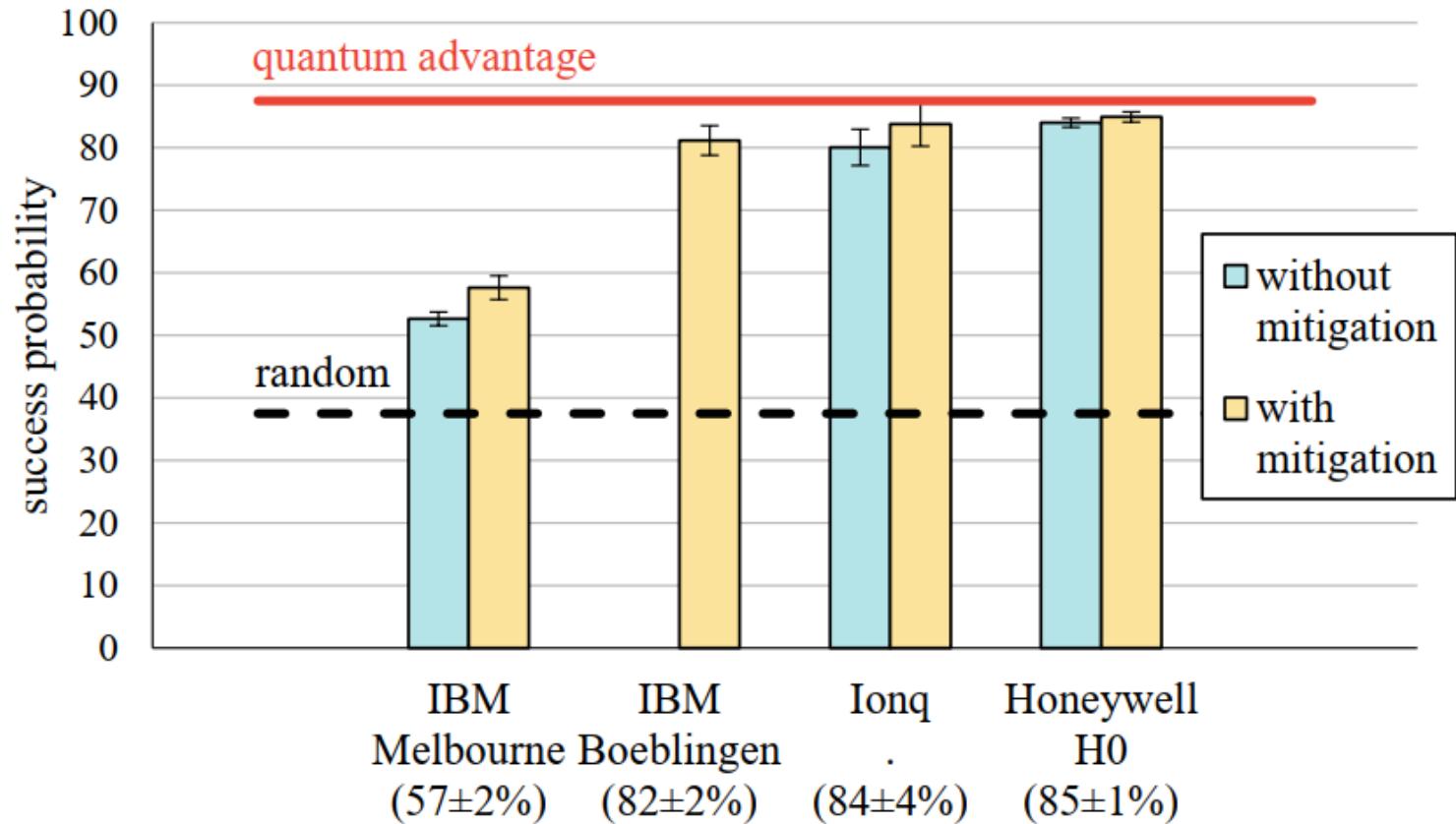
Daniel & Miyaka, PRL 2021



Minimal realization : 3 players = 6 qubits



Triangle game : results



If all the students fail a test... lower the bar!

Stabilizers

$$s_i = X_{i-1} Z_i X_{i+1}$$

$$s_i |\psi_{\text{cluster}}\rangle = |\psi_{\text{cluster}}\rangle$$

Sum of all products

$$S_{\text{all}} = 1 + \sum_i s_i + \sum_{i,j} s_i s_j + \dots$$

$$S_{\text{all}} |\psi_{\text{cluster}}\rangle = 2^n |\psi_{\text{cluster}}\rangle$$

$$(S_{\text{all}})_{\text{classic}, n=6} \leq 28$$

Guhne, Toth, Hyllus, Briegel PRL (2005)

Optimal sum

$$S_{\text{optimal}} = \sum_{i,j} s_i s_j + \sum_{i,j,k} s_i s_j s_k + \sum_{i,j,k,l} s_i s_j s_k s_{k+1}$$

$$\langle S_{\text{optimal}} \rangle_{\text{IonQ}} = 41 \pm 0.5$$

$$(S_{\text{optimal}})_{\text{classic}, n=6} \leq 19$$

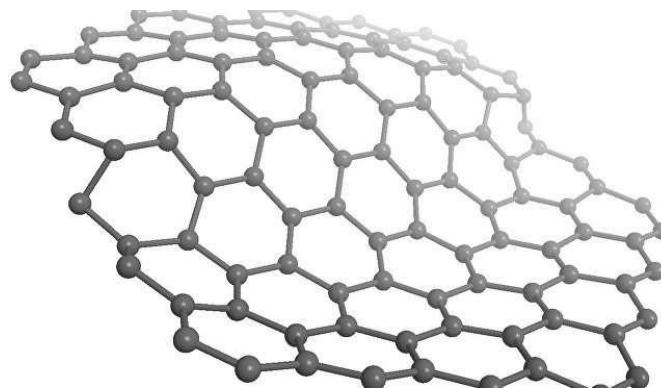
Cabello, Guhne, Rodriguez PRA (2008)



Summary: Quantum simulations

Quantum molecules/material

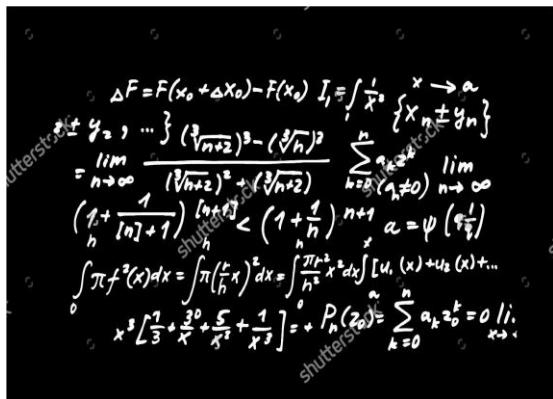
Size of Hilbert space = 2^{N_A}



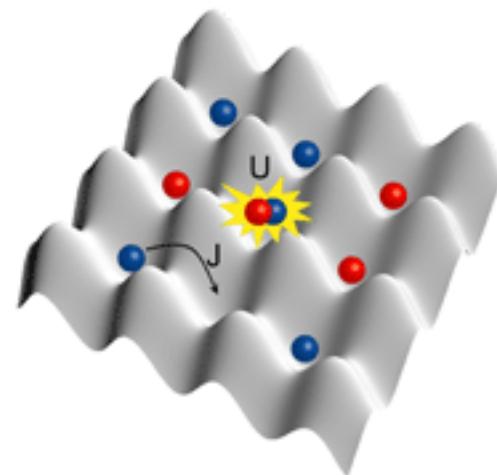
Classical supercomputers



Quantum field theories


$$\begin{aligned} \Delta F &= F(x_0 + \Delta x_0) - F(x_0) \quad I_1 = \int_{x_0}^{x_0 + \Delta x_0} f(x) dx \\ &\stackrel{x_0 + \Delta x_0, \dots}{=} \left(\frac{1}{\sqrt{n+2}} \right)^n - \left(\frac{1}{\sqrt{n}} \right)^n \\ &= \lim_{n \rightarrow \infty} \frac{\left(\frac{1}{\sqrt{n+2}} \right)^n + \left(\frac{1}{\sqrt{n+2}} \right)^{n+1}}{\left(\frac{1}{\sqrt{n}} \right)^n + \left(\frac{1}{\sqrt{n}} \right)^{n+1}} \sum_{k=0}^n \frac{\binom{n}{k}}{\binom{n+1}{k}} \lim_{n \rightarrow \infty} \\ &\left(\frac{1}{n+1} \right)^{n+1} \left(\frac{1}{n+1} \right)^{n+2} < \left(1 + \frac{1}{n} \right)^{n+1} \alpha = \psi \left(\frac{n+1}{n} \right) \\ &\int_0^1 \pi f^2(x) dx = \int_0^1 \pi \left(\frac{r}{h} x \right)^2 dx = \int_0^1 \frac{\pi r^2}{h^2} x^2 dx \int [u_r(x) + u_s(x) + \dots] \\ &x^3 \left[\frac{r^2}{3} + \frac{3r}{h} + \frac{5}{h^2} + \frac{1}{h^3} \right] = + P_n(z_0) = \sum_{k=0}^n a_k z_0^k = 0 / i. \end{aligned}$$

Ultracold atoms



Quantum computer on the cloud



Recording

Speaker View



David Dentelski



Inbar Shani



Matan Ben Dov



Frima Kalyuzhner



Mor Roses



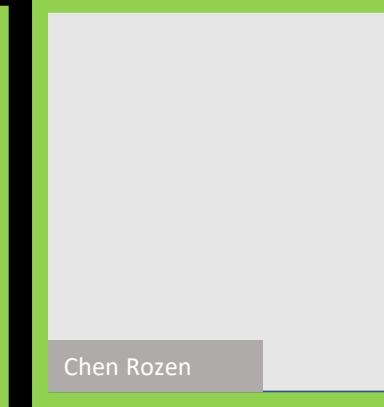
Merom Shefer



Yonathan Sadia



Matan Parnas



Chen Rozen



Yotam Shapira

Unmute Start Video

Invite

Participants 22

Share Screen

Chat

Record

Reactions

Leave Meeting

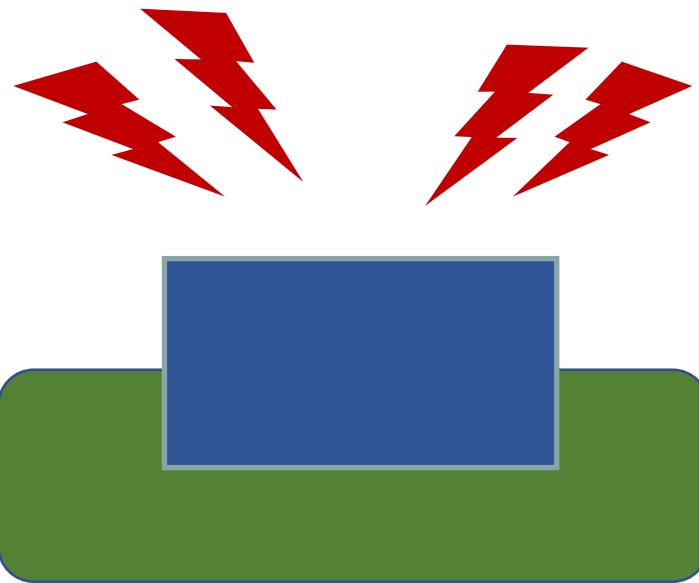


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